

Exercises on code analysis techniques

Abstract Interpretation (value set analysis)

In the following we consider abstract interpretation on programs using the interval abstract domain.

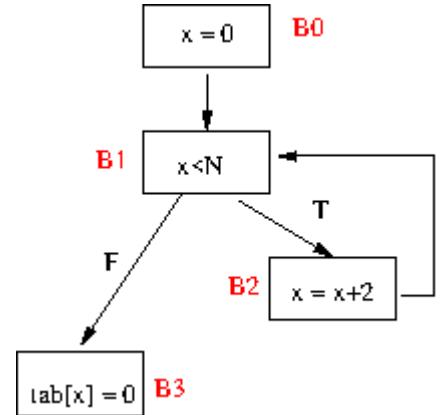
Exercise 1

We consider the following C code and its control-flow graph :

#define N 3

```
int x ;
int Tab[N] ;

x = 0 ;
while (x < N)
    x = x+2 ;
tab[x] = 0
```



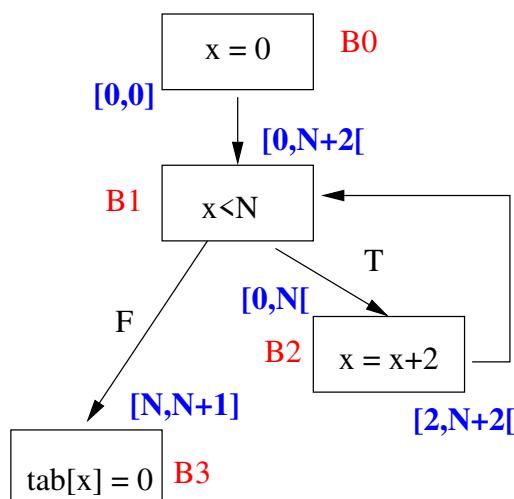
Q1. Compute the value sets at each entry/exit points of each basic blocks without using any acceleration technique (i.e., widening/narrowing).

Q2. Same as Q1, but using widening/narrowing operators.

Q3. Same as Q2 by replacing the constant 3 by the constants 1000 and 1001.

Q4. What can we conclude about potential program vulnerabilities ?

Solution: the detail of the fix-point computations using intervals is available on Moodle, and the result is depicted on the Figure below. Hence, a buffer overflow will occur ...



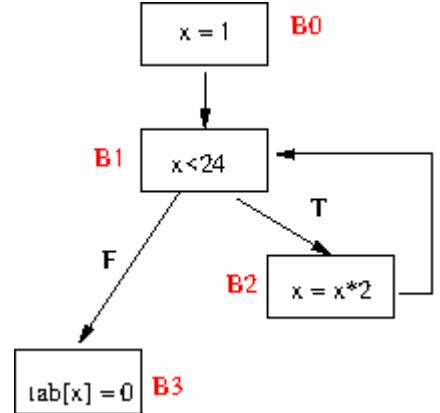
Exercise 2

We consider the following C code and its control-flow graph :

```
#define N 33
```

```
int x ;
int Tab[N] ;

x = 1;
while (x < N)
    x = x*2 ;
    tab[x] = 0
```



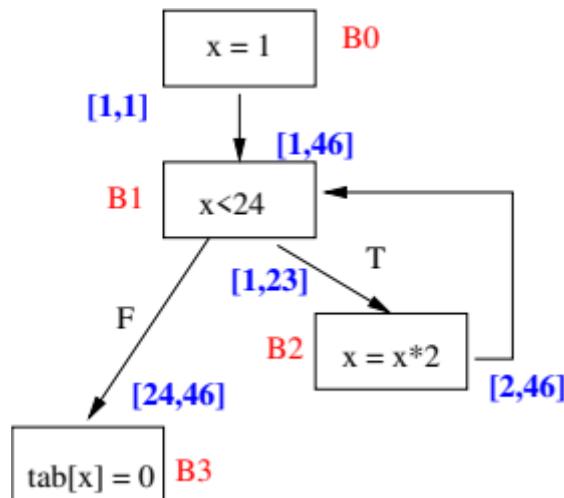
Q1. Compute the value sets at each entry/exit points of each basic blocks using acceleration techniques (i.e., widening/narrowing).

Q2 . What can we conclude about potential program vulnerabilities ?

Q3. How could we get more precise results with Frama-C ?

Solution:

Using fix-points computations with intervals (as in Exercise 1) we get the following result



The interval obtained when entering B3 is an over-approximation, the exact one would be [24,32].

Hence Frama-C would report a false positive for a potential buffer overflow in B3. A way to get more precise results is to use "slevel" or "loop-unrolling" options in order to unroll the loop 5 times before applying the widening operator ...

Symbolic Execution

Exercise 3

We consider the following code, where variable x is a user input :

```
#define N ...
unsigned x, y z ;
int T[N] ;

read(x) ;
z = 2*x ;
if (z<x+20) {
    y = z -10
    if (y > 12)
        T[y] = 0 ;
    else
        T[x] = 0 ;
} else {
    T[z+ 3] = 0 ;
}
```

Q1. Give its sets of execution paths and corresponding path predicates

PC1: $z=2*x_0$ and $z < x_0 + 20$ and $y_0 = z_0 - 10$ and $y_0 > 12$
PC2: $z=2*x_0$ and $z < x_0 + 20$ and $y_0 = z_0 - 10$ and $y_0 \leq 12$
PC3: $z=2*x_0$ and $z \geq x_0 + 20$

Q2. Is there a valid input valuation for each of these path predicates ?

$x_0=30$ satisfies PC1
 $x_0=10$ satisfies PC2
 $x_0=21$ satisfies PC3

Q3. How to extend these path predicates in order to detect potential buffer overflows ?

We have to add extra constraints on each PC, s.t. a BoF occurs if one of them is satisfiable:

PC1: $z=2*x_0$ and $z < x_0 + 20$ and $y_0 = z_0 - 10$ and $y_0 > 12$ and $(y < 0 \text{ or } y \geq N)$
PC2: $z=2*x_0$ and $z < x_0 + 20$ and $y_0 = z_0 - 10$ and $y_0 \leq 12$ and $(x < 0 \text{ or } x \geq N)$
PC3: $z=2*x_0$ and $z \geq x_0 + 20$ and $(z+3 < 0 \text{ or } z+3 \geq N)$

Exercise 4

We consider the following code example , where x is a **positive user input** :

```
#define N 3
```

```
int x ;  
int Tab[N] ;
```

```
read (x) ;  
while (x<N)  
    x = x+2 ;  
    tab[x] = 0
```

Q1. Is a symbolic tool like PathCrawler able to find **all** the execution paths triggering the vulnerability ? Explain your answer, giving the set of path predicates to consider and their corresponding solutions (assuming no arithmetic overflows)

There are 3 execution paths allowing to reach the potentially vulnerable statement $\text{tab}[x]=0$:

- entering an initial value for x larger than N

PC1 : $x_0 \geq N$ and $(x_0 < 0 \text{ or } x_0 \geq N)$, satisfiable for any $x_0 \geq N$

The buffer overflow is always triggered in this case (without arithmetic overflows).

Note that if we consider arithmetic overflows the BoF is not triggered for x_0 in

$\{\text{UINT_MAX-1, UINT_MAX, UINT_MAX+1}\}$

- unrolling the loop exactly once

PC2 : $x_0 < N$ and $x_1 = x_0 + 2$ and $x_1 \geq N$, satisfiable for $x_0 = 1$ or $x_0 = 2$, hence triggering the BoF

- unrolling the loop twice

$x_0 < N$ and $x_1 = x_0 + 2$ and $x_1 < N$ and $x_2 = x_1 + 2$ and $(x_2 \geq N)$, satisfiable for $x_0 = 0$, triggering the BoF

All of them could be found by a symbolic execution engine.

Q2 . Same question with $N=1000$

For $N=1000$, the number of execution paths becomes quite large (about 1000 ... !).

It is still feasible to find all of them using a symbolic execution engine, but in practice it would depend on the exploration strategy ...