

# VadeMeCum ProLog

## Grammaire ProLog

[https://www.complang.tuwien.ac.at/sicstus/sicstus\\_42.html](https://www.complang.tuwien.ac.at/sicstus/sicstus_42.html)

clause --> non-unit-clause | unit-clause

non-unit-clause --> head :- body

unit-clause --> head

head --> ~~module : head~~  
| goal

body --> ~~module : body~~  
| ~~body > body ; body~~  
| ~~body > body~~  
| ~~{ body~~  
| ~~body ; body~~  
| body , body  
| goal

goal --> term

term --> functor ( arguments )  
| ~~( subterm )~~  
| ~~{ subterm }~~  
| list  
| string  
| constant  
| variable

arguments --> subterm  
| subterm , arguments

subterm --> term

list --> []  
| [ listexpr ]

listexpr --> subterm  
| subterm , listexpr  
| subterm | subterm

constant --> atom | number

atom --> name

functor --> name

## Execution (Deransart)

1. Start with a *current goal* which is the initial definite goal  $G$  and a *current substitution* which is the empty substitution.
2. If  $G$  is **true** then stop (*success*), otherwise
3. Choose a predication  $A$  in  $G$  (*predication-choice*)
4. If  $A$  is **true**, delete it, and proceed to step (2), otherwise
5. If no freshly renamed clause in  $P$  has a head which unifies with  $A$  then stop (*failure*), otherwise
6. Choose in  $P$  a freshly renamed clause  $H :- B$  whose head unifies with  $A$  by substitution  $\sigma$  which is the *MGU* of  $H$  and  $A$  (*clause-choice*), and
7. Replace in  $G$  the predication  $A$  by the body  $B$ , flatten and apply the substitution  $\sigma$  to obtain the new current goal, let the new current substitution be the current substitution composed with  $\sigma$ , and proceed to step (2).

## Unification (Herbrand algorithm)

[www.dh.cs.fau.de/IMMD8/Lectures/LOGIK/isoprolog.pdf](http://www.dh.cs.fau.de/IMMD8/Lectures/LOGIK/isoprolog.pdf)

Given a set of equations of the form  $t_1 = t_2$  apply in any order one of the following non-exclusive steps:

a) If there is an equation of the form:

- 1)  $f = g$  where  $f$  and  $g$  are different constants, or
- 2)  $f = g$  where  $f$  is a constant and  $g$  is a compound term, or  $f$  is a compound term and  $g$  is a constant, or
- 3)  $f(\dots) = g(\dots)$  where  $f$  and  $g$  are different functors, or
- 4)  $f(a_1, a_2, \dots, a_N) = f(b_1, b_2, \dots, b_M)$  where  $N$  and  $M$  are different.

then exit with failure (*not unifiable*).

b) If there is an equation of the form  $X = X$ ,  $X$  being a variable, then remove it.

c) If there is an equation of the form  $c = c$ ,  $c$  being a constant, then remove it.

d) If there is an equation of the form  $f(a_1, a_2, \dots, a_N) = f(b_1, b_2, \dots, b_N)$  then replace it by the set of equations  $a_i = b_i$ .

e) If there is an equation of the form  $t = X$ ,  $X$  being a variable and  $t$  a non-variable term, then replace it by the equation  $X = t$ ,

f) If there is an equation of the form  $X = t$  where:

- 1)  $X$  is a variable and  $t$  a term in which the variable  $X$  does not occur, and
- 2) the variable  $X$  occurs in some other equation,

then substitute in all other equations every occurrence of the variable  $X$  by the term  $t$ .

g) If there is an equation of the form  $X = t$  such that  $X$  is a variable and  $t$  is a non-variable term which contains this variable, then exit with failure (*not unifiable, positive occurs-check*).

h) If no transformation can be applied any more, then exit with success (*unifiable*).

### Exemples « Famille ».

```
/* ingalls_parent(P,E) est vrai ssi P est un parent de l'enfant E dans la
famille Ingalls réduite autour de Laura. */
ingalls_parent(lansford,peter).
ingalls_parent(lansford,charles).
ingalls_parent(charles,mary).
ingalls_parent(mary,adam).
ingalls_parent(charles,laura).
ingalls_parent(laura,rose).
ingalls_parent(charles,carrie).

/* ingalls_frere(F,P) est vrai ssi F est un frère (ou une soeur) de la personne
P pour la famille Ingalls réduite autour de Laura. */
ingalls_frere(X,Y):-ingalls_parent(Z,X), ingalls_parent(Z,Y), dif(X,Y).

/* ingalls_grandParent(G,E) est vrai ssi G est un grand-parent de l'enfant E
pour la famille Ingalls réduite autour de Laura. */
ingalls_grandParent(X,Y):-ingalls_parent(X,Z), ingalls_parent(Z,Y).

/* ingalls_ancetre(A,E) est vrai ssi A est un ancêtre de l'enfant E pour la
famille Ingalls réduite autour de Laura. */
ingalls_ancetre(X,A):- ingalls_parent(X,A).
ingalls_ancetre(X,A):- ingalls_parent(X,I), ingalls_ancetre(I,A).

/* Résultats d'exécutions
?- ingalls_parent(charles,laura).
true

?- ingalls_parent(X,laura).
X = charles;

?- ingalls_parent(charles,X).
X = mary;
X = laura;
X = carrie;

?- ingalls_grandParent(X,mary).
X = lansford; */
```

### Exemples « Listes »

```
/* ajouteEnDernier(R,L,E) est vrai ssi R est obtenu à partir de L en ajoutant E
en dernier. */
ajouteEnDernier(E,[],[E]).
ajouteEnDernier(E,[F|L],[F|M]):-ajouteEnDernier(E,L,M).

/* concatene(D,F,L) est vrai si et seulement la concaténation des listes D et F
donne la liste L. */
concatene([],L,L).
concatene([E|L],M,[E|R]):-concatene(L,M,R).

/* supprimeDoublonConsecutif(L,R) est vrai ssi R est défini à partir de L en
supprimant les doublons consécutifs de L. */
supprimeDoublonConsecutif([E],[E]).
supprimeDoublonConsecutif([E,E|L],R):-supprimeDoublonConsecutif([E|L],R).
supprimeDoublonConsecutif([E,F|L],[E|R]):- dif(E,F),
supprimeDoublonConsecutif([F|L],R).
```

### Bibliographie.

**Blackburn P., et al.**, Prolog, tout de suite !, [www.learnprolognow.org](http://www.learnprolognow.org), Cahiers de Logique et d'Epistémologie, College Publications, 2007

**Colmerauer, A. et al.** *Le manuel de Prolog IV*, PrologIA, Marseille, [alain.colmerauer.free.fr/alcol/ArchivesPublications/Prolog4Manuel.pdf](http://alain.colmerauer.free.fr/alcol/ArchivesPublications/Prolog4Manuel.pdf), 1996.

**Delahaye J.-P.**, Cours de ProLog avec Turbo ProLog, Eyrolles, 1988.

**Deransart P. et al.**, Prolog : the standard, Springer, 1996.